					UCA STAT	5	
)	(100	2) E	ngg. Mat	hematics I		
Test	Total	TW	PR	Gr Total			
25	100	-	-	100			1
nrs): hrs):	5 NIL 4			1	Theory Marks: (One paper 3 hrs) Prog. Ass. Marks:	100 25	ŗ
elimin skills the conginee	ary cous, and roourse is ering ma	rse is nather a basi y be in	aim natica c for ncorp	ed at prov al reasonin Engineerin porated.	ding knowledge and develop g thus enabling the students g Course, it is suggested that e	to cope	nitiv wit fror
			Ċ	ourse Conte	ent Hrs.	Marks	_
ometr	y ·						

BOARD OF TECHNICAL EXAMINATIONS, GOA STATE

Theory

75

Lectures per week (hrs):

Practicals per week (hrs): Course Credits

Semester

R	ationalo: This was frog	. Ass. Marks:	25
sk fu th Sr	tills, computational skills, and mathematical reasoning thus enabling ture courses. Since the course is a basic for Engineering Course, it is set e various fileds of engineering may be incorporated.	ge and develo g the student: suggested that	pping cognitive s to cope with examples from
No	Course Content	Hrs.	Marks
I	Coordinate Geometry		
	1.1 Introduction	20	25
	1.2 Distance and section formula		
	1.3 Area of a triangle		
	1.4 Various forms of the equation of a straight 1:		1.0
	1.5 Distance of a point from a straight line		
	Angle between two straight lines - conditions for it		
	be parallel or per pendicular		
	1.7 Various forms of the equation of a circle		
	1.8 Equations of tangent and normal to the similar to		
TT	Contact.		
n	Ingonometry		
		20	20
	Simple problems based on direct application file		<i>.</i>
	2.1 Definition of a radian - relation between day	nly to be ask	ed)
	Length of an arc and Area of a sector)
	2.2 Trigonometric ratio for any angle		
	2.3 Trigonometric Identities.		
	2.4 Trigonometric Ratios of allied angles company to		
	multiple angles (2A only)		
	2.5 Sum or difference form		
	(Problems based on trigonometric ratios of numerical		
	should be amitted En St		
	that Sin 20 Sin 40 Sin 60 Sin 8	$0 = \frac{3}{3}$	
	2.6 Product formulae.	16	
	2.7 Sine Rule, Cosine Rule, Tangent Bul		
1	2.3 Solutions of triangles		
111	inits and functions		
	1.1 Idea of function (no question to be sale b)	13 1	5
	1.2 Types of function (no question to be a low	1.	<i>.</i>
	(no question to be asked)		

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3.3 Concepts of limits, Limits of(i) Algebraic(ii) Trigonometric

(iii) Logarithmic .

(iii) Logarithmic
(iv) Exponential functions.
(Problems based on algebraic limits and direct application of

	$\lim_{n \to \infty} \frac{\sin \theta}{1 - 1}$, $\lim_{n \to \infty} \frac{a}{1 - 1}$, $\lim_{n \to \infty} \frac{1}{1 - 1}$, $\lim_{n \to \infty} \frac{1}{1 - 1}$	$1 + \frac{1}{2} n^{n}$		
	$\theta \to 0$ θ $\theta \to 0$ θ $x \to 0$ $x = 1$ $x = 1$ $x = 1$ $x = 0$ $x = 1$ $x = 0$	(n)	120 A	
	only shall be asked. No problems on method of substitution	n	·	
IV	Differential Calculus	17	Carons of	
1 4	4.1 Definition of derivative	17	25	
	4.2 Derivative of standard function give a model (no question to be	1812 1	innern et	
	asked on derivative from first principles) (no cursulation to be			
	4.3 Derivative of sum differences and ust and sustaint of a			
	Function			
	4 A Derivatives of Composite Implicit and Representation			
	function with reference to			
	a) Algebraic			
	b) Logarithmic		NC 0 0	
	c) Trigonometric			
	d) Inverse circular functions		a 3.4	
	(Direct problems without substitution shall be asked)		· . • N	
	c) Exponential functions		× 2 *	
	4.5 Logarithmic differentiation			- 1
	4.6 Second order derivatives (Definition only)	an a	marka	
	(No questions to be asked)		•	
			"EX.3	·
v	Applications of Derivatives:	10	15 1.0	1. N.
	5.1 a) Geometrical Meaning of the Derivative	10	15	_
	b) Equations of tangent and normal to curves		8 8 <u>8</u>	
	5.2 a) Derivative as a rate – measure		B ₂₁₋₁	
	b) Meaning of velocity, acceleration.	·		
	c) Rates and motion.			
	5.3 Maxima and Minima.			
	A State of the second			

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Instruction to Paper-Setters/Model Question Paper:-

I) The question paper will consist of 5 questions

ii) Question I will carry 20 marks and is compulsory. This should cover the entire syllabus.

This can be of one of the following types.

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a) 10 questions from the entire syllabus carrying 2 marks each

b) part (A) 4 questions of 3 marks each and part (B) 4 question of 2 marks each

(c) Part (A) 4 questions of 3 marks each and part (B) 2 questions of 4 marks each

(iii) Question II to question V will have sub - 5 questions of 5 marks each (can be two questions of 2 and 3 marks each) and the student will be required to attempt any 4 sub - questions. The pattern of the questions from II to V should be as follows.

Q (II)	Q (III)
i) 1.1, 1.2, 1.35 marks	i) 2.2, 2.35 marks
ii) 1.45 marks	ii) 2.4, 2.5, 2.65 marks
iii) 1.5, 1.65 marks	iii) 2.75 marks
iv) 1.75 marks	iv) 2.8 5 marks
v) 1.85 marks	v) 3.3 (i)5 marks
Q(IV)	Q(V)
i) 3.3 (ii)5 marks	i) 4.1, 4.2, 4.3, 4.45 marks
ii) 3.3 (iii), (iv)5 marks	ii) 4.55 marks
iii) 4.4 (composite functions)5 marks	iii) 5.15 marks
iv) 4.4 (implicit function) 5 marks	iv) 5.25 marks
v) 4.4 (parametric function) 5 marks	v) 5.35 marks

Reference Books:- i) Mathematics for Polytechnic students by S. P. Deashpande Vol. I

ii) Mathematics for Polytechnic students by S. P. Deashpande Vol. II

iii) Mathematics for Polytechnic students by T.T.T.I. Vol. I, II (Bhopal)

iv) Mathematics for Polytechnic by Manjit Singh.